

E: Policy uncertainty in depth, part 1

Two kinds of risk:

1. Will policy X be **adopted** or made **more stringent**?
2. Will policy Y be **repealed** or **not enforced**?

Type 1 example:

Power plants and potential **adoption** of a carbon tax

Type 2 example:

Wind turbine investment and **risk of repeal** of a feed in tariff (FIT)

- Shows how **FIT policies** work
- Illustrates impact of **policy risk** on investment incentives
- Demonstrates **dynamic programming** for analyzing repeated risks

Turbine details:

Generating capacity: 1 MW

Costs:

Construction: \$1.5 million

O&M cost: \$0 (for convenience)

Lifespan: ∞ (for convenience)

Revenue:

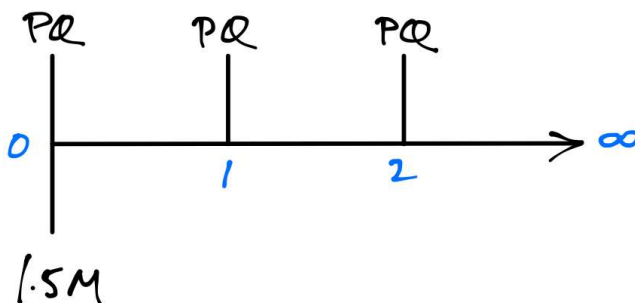
Hours per year: $24 * 365 = 8,760$ h

Maximum output: $1 \text{ MW} * 8760 \text{ h} = 8760 \text{ MWh}$
 Capacity factor: 20%
 Annual output, Q : $0.2 * 8760 = 1752 \text{ MWh}$
 Buyer price of output, P : $\$30/\text{MWh}$

Timing:

Build in 0
 Revenue starts immediately (for convenience)
 Interest rate: $r = 10\%$

Cash flow without FIT:



PV of revenue stream:

$$PQ = \$30 * 1752 = \$52,560$$

$$PV_{rev} = PQ + \frac{PQ}{r} = \frac{PQr}{r} + \frac{PQ}{r} = PQ \left(\frac{1+r}{r} \right)$$

$$PV_{rev} = \$52,560 * \frac{1+0.1}{0.1} = \$578,160$$

Define $V^{NF} = PV_{rev}$ without a FIT (NF=no FIT)

NF

$$V^{NF} = \$578,160$$

PV of cost:

$$PV_{cost} = \$1.5M$$

NPV:

$$NPV = V^{NF} - PV_{cost} = \$578,160 - \$1,500,000 = -\$921,840$$

Decision:

Negative NPV: would not build the turbine

Now add a FIT:

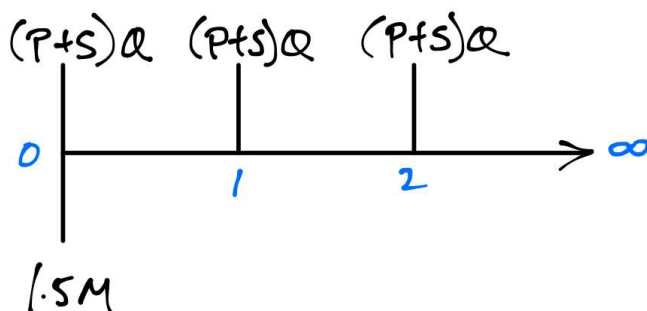
- Add subsidy $S = \$70$ to bring total payment to $\$100/\text{MWh}$
- Initially certain and permanent

Buyer price: P $\$30/\text{MWh}$

Subsidy: S $\$70/\text{MWh}$

Seller price: $P + S$ $\$100/\text{MWh}$

New cash flow:



Revenue:

$$\text{New revenue } (P + S)Q = (\$30 + \$70) * 1752 = \$175,200$$

$$PV_{rev} = (P + S)Q + \frac{(P + S)Q}{r} = (P + S)Q \left(\frac{1 + r}{r} \right)$$

$$PV_{rev} = \$175,200 * \frac{1 + 0.1}{0.1} = \$1,927,200$$

Define $V^{PF} = PV_{rev}$ with a permanent FIT

$$V^{PF} = \$1,927,200$$

NPV:

$$NPV = V^{PF} - PV_{cost} = \$1,927,200 - \$1,500,000$$

$$NPV = \$427,200$$

Decision:

Positive NPV: would proceed