

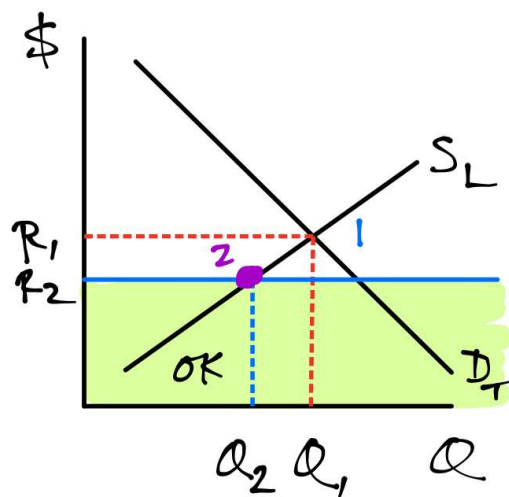
Price Ceiling: Rent Control

Model:

Suppliers: Landlords (L)
 Demanders: Tenants (T)
 Price: Rent (R)

Policy:

Sets maximum rent to $R_2 < R_1$



New apartments: Q_2

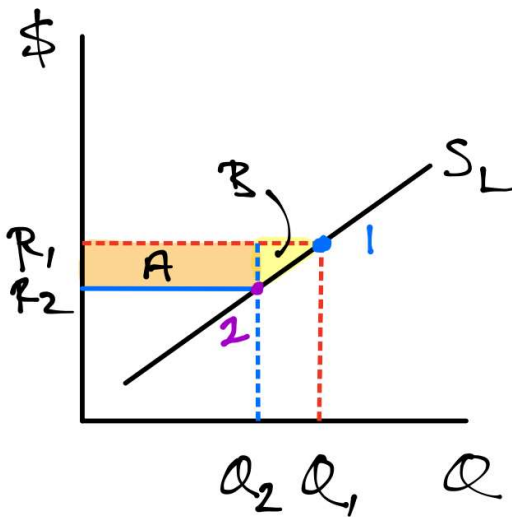
Two groups of tenants:

Stayers: Q_2

Leavers: $Q_1 - Q_2$

Impact on welfare:

Landlords:

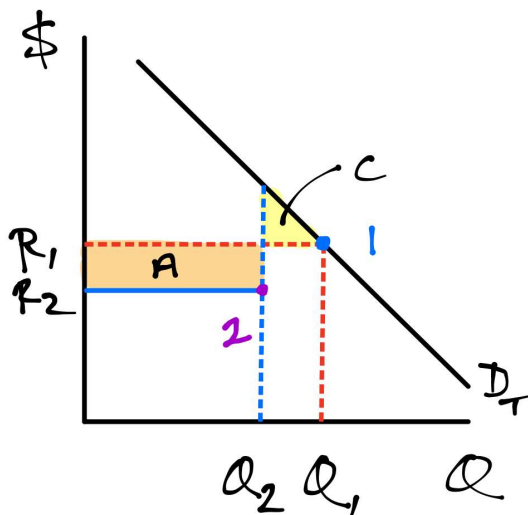


$$\Delta PS = -(A + B)$$

A: Transfer to stayers

B: Lost gains on leavers

Tenants:



$$\Delta CS = +A - C$$

A: Transfer from landlords

C: Lost gains to leavers

Total ΔSS :

$$\Delta SS = \Delta CS + \Delta PS$$

$$\Delta SS = +A - C - (A + B)$$

$$\Delta SS = -(B + C)$$

Numerical example:

Case 1: BAU with no rent control

$$R_1 = \$1500$$

$$Q_1 = 1000$$

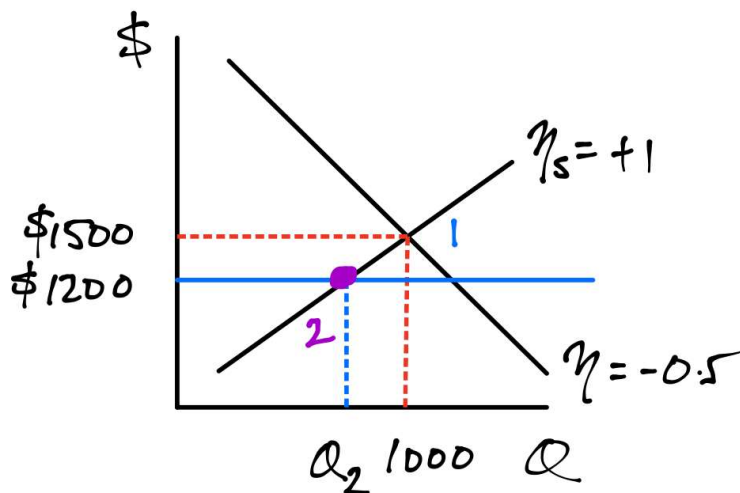
$$\eta = -0.5$$

$$\eta_s = +1$$

Case 2: Rent control

$$R_2 = \$1200$$

Impact on Q:



$$\% \Delta P = \frac{-300}{1500} = -20\%$$

$$\% \Delta Q = \eta_s * \% \Delta P$$

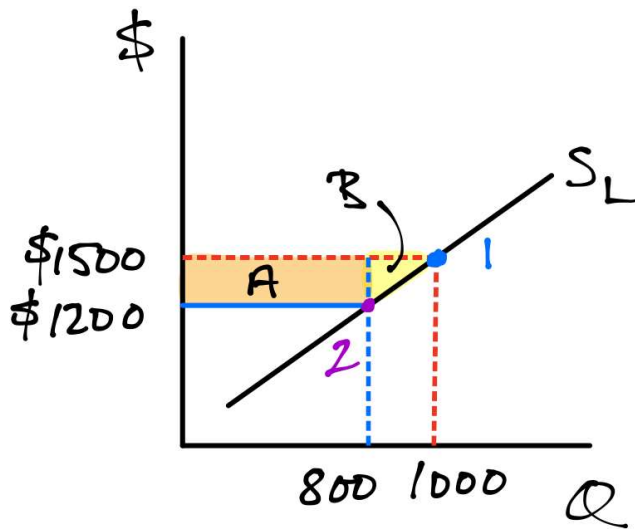
$$\% \Delta Q = (+1)(-20\%)$$

$$\% \Delta Q = -20\%$$

$$\Delta Q = -200$$

$$Q_2 = 800$$

Landlords:



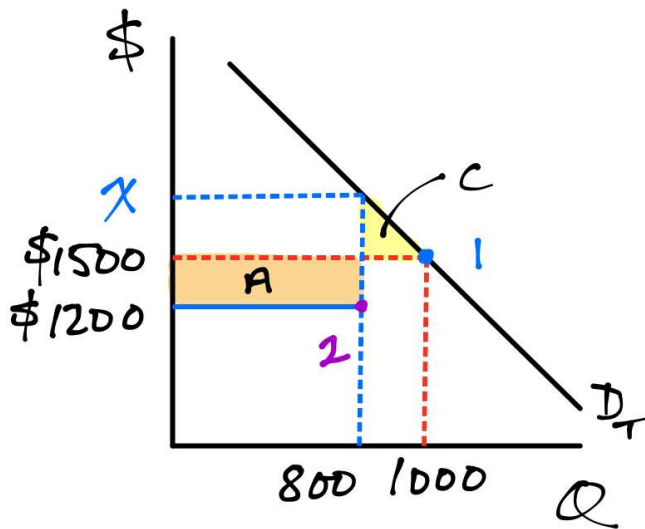
$$\Delta PS = -(A + B)$$

$$A = 300 \times 800 = 240,000$$

$$B = 0.5 \times 300 \times 200 = 30,000$$

$$\Delta PS = -270,000$$

Tenants:



$$\Delta CS = +A - C$$

$$A = \$240,000$$

$$C = 0.5 \times (X - 1500) \times 200$$

Need X

Interpretation of X:

Rent control lowers **supply** to 800

X = rent that would drive **demand** down to 800

Roughly: the unofficial or underground market price

Calculating X:

$$\frac{\% \Delta Q}{\% \Delta P} = \eta$$

$$\frac{-20\%}{\% \Delta P} = -0.5$$

$$\% \Delta P = \frac{-20\%}{-0.5} = +40\%$$

$$\Delta P = 0.4 * 1500 = 600$$

$$X = 1500 + 600 = 2100$$

Area C:

$$C = 0.5 * 600 * 200 = 60,000$$

$$\Delta CS = +\$240,000 - \$60,000 = \$180,000$$

Total ΔSS :

$$\Delta SS = \Delta CS + \Delta PS$$

$$\Delta SS = +\$180,000 - \$270,000$$

$$\Delta SS = -\$90,000$$

Check:

$$B = \$30,000$$

$$C = \$60,000$$

$$B+C = \$90,000 \checkmark$$

Analysis with algebraic equations is similar

Daily exercise